

(Nucleus + radioactivity)

Nuclear physics

[Hand out copies of nuclide chart from Blatt]

Z = atomic # = # of protons $\Rightarrow$ charge of nucleus, identity of element

N = neutron # = # of neutrons $\Rightarrow$ different isotopes
(1913: JJ Thomson: ^{20}Ne , ^{22}Ne)

$\square$ = stable, $\square$ = unstable

[Some elements have several stable isotopes, some only one (Be)
and some have none
 $Z=43$, Tc made in cyclotron by bombarding Mo
 $Z=61$, Pm found in products of uranium fission
These were gaps in the periodic table of Mendeleev]

[Generally we characterize isotopes not by N but by]

$A = Z + N$ = mass # = # of nucleons = baryon #

Symbol $\begin{matrix} A \\ Z \end{matrix} X$
 $\uparrow$ redundant

[Let's look at bottom of table]

n [unstable: $T_{1/2} = ?$]

^1H , ^2H = heavy hydrogen = deuterium (0.015%)

^3H = tritium ($T_{1/2} \sim 12$ yrs)

^3He (0.00014%), ^4He

^{12}C , ^{13}C ($\sim 1\%$), ^{14}C ($T_{1/2} \sim 5730$ yrs $\Rightarrow$ dating)

$\square$ = naturally-occurring unstable ($T_{1/2} \sim$ billions of yrs)

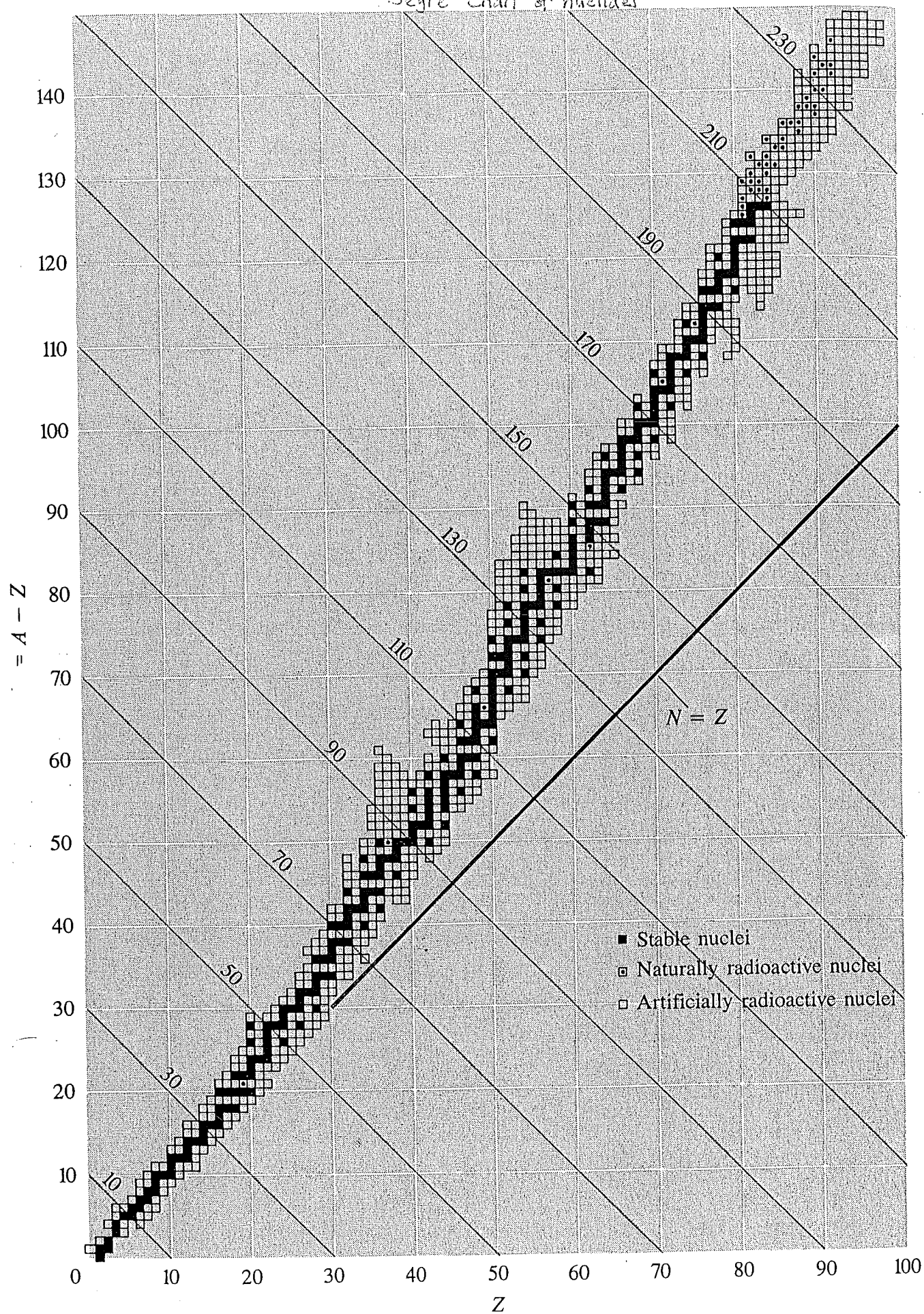
$^{40}_{19}\text{K}$ [intro II lab) $T_{1/2} = 1.3 \times 10^9$ yrs

$^{87}_{37}\text{Rb}$ [earth dating] $T_{1/2} = 5 \times 10^{10}$ yrs (0.0055%)

$^{238}_{92}\text{U}$, $^{235}_{92}\text{U}$ (0.7%), $^{234}_{92}\text{U}$ (heaviest naturally occurring)

$^{209}_{83}\text{Bi}$ ($T_{1/2} = 2 \times 10^{19}$ yrs), $^{210}_{84}\text{Po}$ unstable ($T_{1/2} = 140$ d)
[2003 wikipedia]

Segré chart of nuclides



20

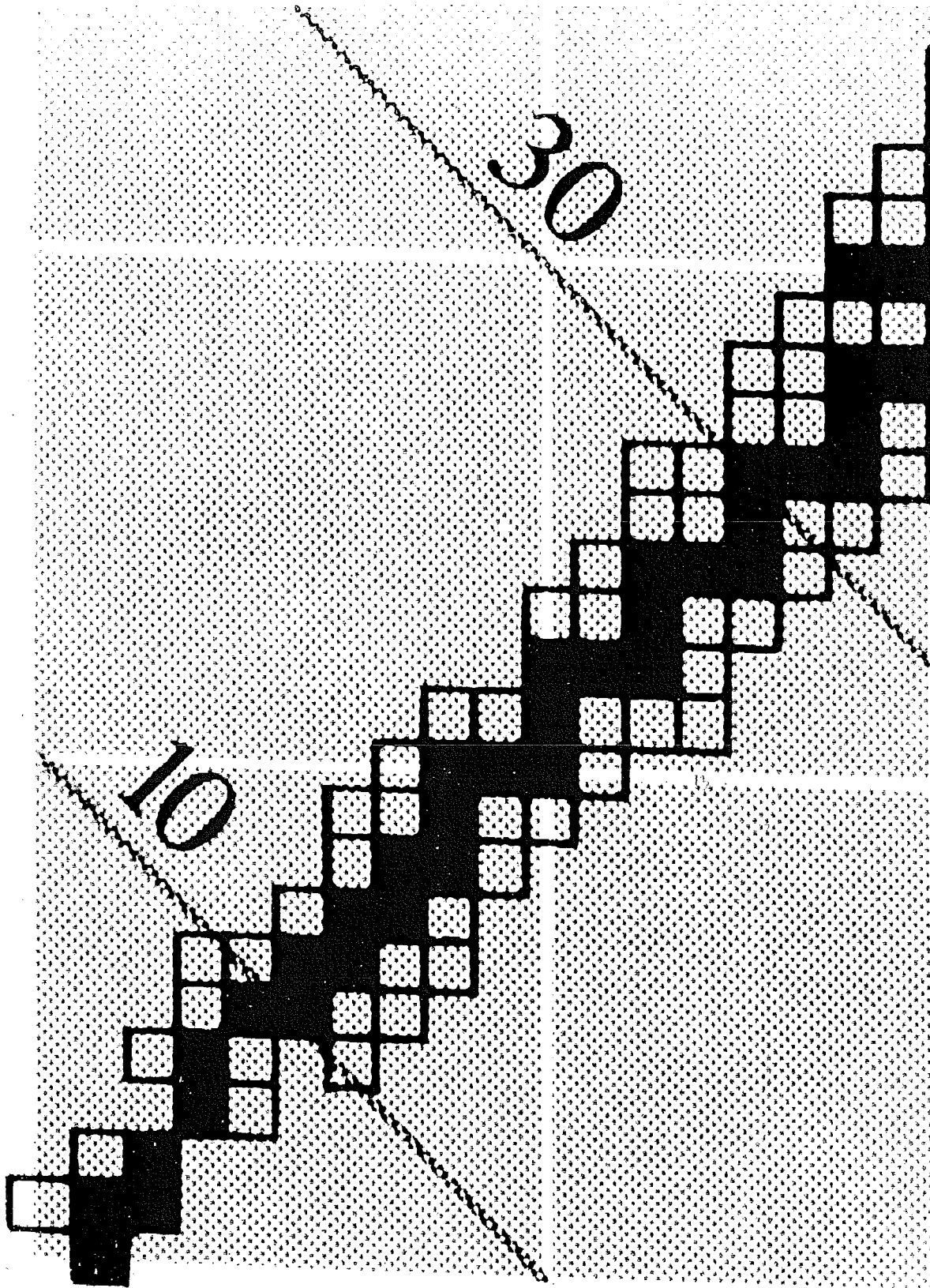
30

10

10

0

10



Line of stability

$Z \approx N$ for light nuclei
 $Z > N$ for heavier

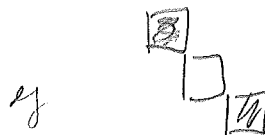
Why?

Why no stable nuclei beyond Pb?

Even-even nuclei more stable & more abundant [table]
(majority of stable nuclei: about 150 out of 250 are even-even though one depends on)

Odd-odd nuclei less stable & rarer (Only 4: ^2H , ^6Li , ^{10}B , ^{14}N , ...)

odd-even in middle



At $A = 50, 70$

proton pair up & neutrons pair up } $\Rightarrow$ spin 0 state

Some even numbers of $p + n$ are particularly stable

magic #s = 2, 8, 20, 28, 50, 82, 126

[look at $Z=50$ relation to 49 & 51
 $Z=28$

Also $N=20$ relation to 19 & 21

Doubly magic nuclei

$$^4\text{He} = 2p + 2n$$

$$^{16}\text{O} = 8p + 8n$$

$$^{208}\text{Pb} = 82p + 126n$$

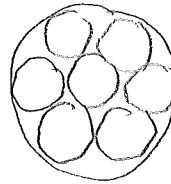
Radius of nuclei

Various experiments show that $R \propto A^{1/3}$

$$R = A^{1/3} r_0 \quad \text{or} \quad r_0 \cong 1.2 \times 10^{-15} \text{ m} = 1.2 \text{ fm}$$

$$\text{Volume} = \frac{4}{3} \pi R^3 = \left(\frac{4}{3} \pi r_0^3 \right) A$$

Nuclei act as a collection of close-packed nucleons of fixed volume



Mass of Nuclei

$$m_p \approx m_n \approx 1 \text{ u}$$

$$\Rightarrow M \approx Z + N = A$$

$$\text{Recall } 1 \text{ u} \Rightarrow 931.5 \text{ MeV}$$

$$E_{\text{rest}} = A (931.5 \text{ MeV}) + \Delta$$

← atomic mass, i.e.
includes electrons to
make atom neutral

$$\Delta = \text{"mass excess"}$$

$$\Delta \equiv 0 \text{ for } ^{12}\text{C}$$

$$\Rightarrow M = A + \frac{\Delta}{(931.5 \text{ MeV})}$$

[Hand out nuclear
wallet cards and
curve of binding
energy]

$$\text{neutron: } E = 939.6 \text{ MeV} \Rightarrow \Delta = 8.1 \text{ MeV [check]}$$

$$\begin{array}{l} \text{proton } E = 938.3 \text{ MeV} \\ \text{electron } E = 0.5 \text{ MeV} \end{array}$$

$$\begin{array}{l} \text{H} \\ \text{H} \end{array} \quad E = 938.8 \text{ MeV} \Rightarrow \Delta = 7.3 \text{ MeV} \Rightarrow \text{check}$$

↑
(neglect 13.6 eV!)

Isotope Z El A	J π	Δ (MeV)	T1/2 or Abundance	Decay Mode	Isotope Z El A	J π	Δ (MeV)	T1/2 or Abundance	Decay Mode
0 n 1	1/2+	8.071	10.4 m 2	β^-	10 Ne 25	(1/2, 3/2)+	-2.060	602 ms 8	β^-
1 H 1	1/2+	7.289	99.985% 1		26	0+	0.440	230 ms 60	β^-
2 He 3	1/2+	13.136	0.015% 1		27		6.960e		
3	1/2+	14.950	12.33 y 6	β^-	28	0+	11.000e		
4?	2-	25.840			11 Na 18		25.320s		p
2 He 3	1/2+	14.931	0.000137% 3		19		12.928	0.03 s ?	p
4	0+	2.424	99.999863% 3		20	2+	6.839	447.9 ms 23	c, $\epsilon\alpha$ 21%
5	3/2-	11.390	0.60 MeV 2	α, n	21	3/2+	-2.189	22.48 s 3	c
6	0+	17.592	806.7 ms 15	β^-	22	3+	-5.185	2.6088 y 14	c
7	(3/2)-	26.110	160 keV 30	n	23	3/2+	-9.532	100%	
8	0+	31.598	119.0 ms 15	$\beta^-, \beta-n$ 16%	24	4+	-8.420	14.9590 h 12	β^-
9		40.810	very short	n	24m	1+	-7.948	20.20 ms 7	1T, $\beta^- \approx 0.05\%$
3 Li 4	2-	25.120			25	5/2+	-9.360	59.1 s 6	β^-
5	3/2-	11.680	≈ 1.5 MeV	α, p	26	3+	-6.904	1.072 s 9	β^-
6	1+	14.085	7.5% 2		27	5/2+	-5.850e	301 ms 6	$\beta^-, \beta-n$ 0.13%
7	3/2-	14.907	92.5% 2		28	1+	-1.140	30.5 ms 4	$\beta^-, \beta-n$ 0.58%
8	2+	20.945	838 ms 6	$\beta^-, \beta-2\alpha$	29	3/2	2.650	44.9 ms 12	$\beta^-, \beta-n$ 22%
9	3/2-	24.954	178.3 ms 4	$\beta^-, \beta-n$ 49.5%, $\beta-n\alpha$	30	2+	8.330e	48 ms 2	$\beta^-, \beta-n$ 30%, $\beta-2n$ 1.17%, $\beta-\alpha$ 0.0055%
10		33.840	1.2 MeV 3	n	31	(3/2)	12.010e	17.0 ms 4	$\beta^-, \beta-n$ 37%, $\beta-2n$ 0.9%
11	(1/2-)	40.900	8.7 ms 1	$\beta^-, \beta-n$ $\beta-n\alpha$ 0.027%	32		18.550	13.2 ms 4	$\beta^-, \beta-n$ 39%, $\beta-2n$ 1.2%
4 Be 6	0+	18.374	92 keV 6	$\alpha, 2p$	33		21.470	8.2 ms 4	$\beta^-, \beta-n$ 52%, $\beta-2n$ 12%
7	3/2-	15.768	53.29 d 7	c	34		26.650	5.5 ms 10	$\beta^-, \beta-n, \beta-2n$
8	0+	4.941	6.8 eV 17	2 α	35			1.5 ms 5	$\beta^-, \beta-n$
9	3/2-	11.347	100%		12 Mg 20	0+	17.570	0.1 s	c, cp
10	0+	12.607	1.51 $\times 10^8$ y 6	β^-	21	(3/2, 5/2)+	10.913	122 ms 3	c, cp 32%
11	1/2+	20.174	13.81 s 8	$\beta^-, \beta-\alpha$ 3.1%	22	0+	-0.397	3.957 s 9	c
12	0+	25.077	24.4 ms 30	$\beta^-, \beta-n < 1\%$	23	3/2+	-5.473	11.317 s 11	c
13	(1/2, 5/2)+	35.000		n	24	0+	-13.933	78.99% 3	
14	0+	40.100	4.2 ms 7	β^-	25	5/2+	-13.192	10.00% 1	
5 B 7	(3/2-)	27.870	1.4 MeV 2	p, α	26	0+	-16.214	11.01% 2	
8	2+	22.920	770 ms 3	c, $\epsilon\alpha$, $\epsilon 2\alpha$	27	1/2+	-14.586	9.462 m 11	β^-
9	3/2-	12.415	0.54 keV 21	p, 2 α	28	0+	-15.019	20.91 h 3	β^-
10	3+	12.050	19.9% 2		29	3/2+	-10.728e	1.30 s 12	β^-
11	3/2-	8.668	80.1% 2		30	0+	-9.070e	335 ms 17	β^-
12	1+	13.369	20.20 ms 2	$\beta^-, \beta-3\alpha$ 1.58%	31		-3.400e	0.23 s 2	β^-
13	3/2-	16.562	17.36 ms 16	$\beta^-, \beta-n$ 0.28%	32	0+	-0.790e	120 ms 20	$\beta^-, \beta-n$ 2.4%
14	2-	23.664	16.1 ms 12	β^-	33		5.090e	90 ms 20	$\beta^-, \beta-n$ 17%
15	(0-)	28.970	8.8 ms 6	$\beta^-, \beta-n$	34	0+	8.440s	20 ms 10	$\beta^-, \beta-n$
16	(3/2-)	37.140s		n	35		14.680s		
17		43.310s		β^-	13 Al 22		18.040e	70 ms 45	c, cp, $\epsilon 2p$
18		52.280s			23		6.767	0.47 s 3	c, cp
19		59.360s			24	4+	-0.055	2.053 s 4	c, $\epsilon\alpha$ 0.035%
6 C 8	0+	35.094	230 keV 50	α, p	24m	1+	0.371	131.3 ms 25	1T 82%, ϵ 18%, $\epsilon\alpha$ 0.028%
9	(3/2-)	28.913	126.5 ms 9	c, cp, $\epsilon 2\alpha$	25	5/2+	-8.915	7.183 s 12	c
10	0+	15.699	19.255 s 53	c	26	5+	-12.210	7.4 $\times 10^8$ y 3	c
11	3/2-	10.650	20.385 m 20	c	26m	0+	-11.982	6.3452 s 19	c
12	0+		98.90% 3		27	5/2+	-17.197	100%	
13	1/2-	3.125	1.10% 3	β^-	28	3+	-16.851	2.2414 m 12	β^-
14	0+	3.020	5730 y 40	β^-					
15	1/2+	9.873	2.449 s 5	β^-					
16	0+	13.694	0.747 s 8	$\beta^-, \beta-n \approx 98.8\%$					

Isotope Z El A	J π	Δ (MeV)	T1/2 or Abundance	Decay Mode	Isotope Z El A	J π	Δ (MeV)	T1/2 or Abundance	Decay Mode
6 C 17		21.035	202 ms 17	β^-	13 Al 29	5/2+	-18.215	6.56 m 6	β^-
18	0+	24.920	66 ms 20	$\beta^-, \beta-n$	30	3+	-15.890	3.60 s 6	β^-
19		32.630s			31	(3/2, 5/2)+	-14.967e	0.644 s 25	β^-
20	0+	37.070s		β^-	32	1+	-11.190e	33 ms 4	β^-
7 N 10		39.700s			33		-8.610e		
11	1/2-	24.890	0.74 MeV 10	p	34		-3.250e	60 ms 18	$\beta^-, \beta-n$ 27%
12	1+	17.338	11.000 ms 16	c, $\epsilon 3\alpha$ 3.44%	35		-0.320e	0.15 s 5	$\beta^-, \beta-n$ 40%
13	1/2-	5.345	9.965 m 4	c	14 Si 22	0+	5.050s		c, cp
14	1+	2.863	99.63% 2		23		23.530s	8 ms 3	c, cp
15	1/2-	0.101	0.37% 2		24	0+	10.755	102 ms 35	c, cp
16	2-	5.682	7.13 s 2	$\beta^-, \beta-\alpha$ 0.0012%	25	5/2+	3.827	220 ms 3	c, cp
17	1/2-	7.871	4.173 s 4	$\beta^-, \beta-n$ 95%	26	0+	-7.145	2.234 s 13	c
18	1-	13.117	624 ms 12	$\beta^-, \beta-n, \beta-\alpha$	27	5/2+	-12.385	4.16 s 2	
19		15.871	290 ms 90	$\beta^-, \beta-n$	28	0+	-21.492	92.23% 1	
20		21.880s	100 ms 25	$\beta^-, \beta-n$	29	1/2+	-21.895	4.67% 1	
21		25.150s	95 ms 13	$\beta^-, \beta-n$ 84%	30	0+	-24.433	3.10% 1	
22		31.990e	24 ms 7	$\beta^-, \beta-n$ 35%	31	3/2+	-22.950	157.3 m 3	β^-
8 O 12	0+	32.060	400 keV 250	p	32	0+	-24.081	172 y 4	β^-
13	(3/2-)	23.113	8.90 ms 20	c, cp	33	0+	-20.556e	6.18 s 18	β^-
14	0+	8.006	70.606 s 18	c	34	0+	-19.992e	2.77 s 20	β^-
15	1/2-	2.855	122.24 s 16	c	35		-14.390e	0.78 s 12	β^-
16	0+	-4.737	99.76% 1		36	0+	-12.640e	0.45 s 6	$\beta^-, \beta-n < 10\%$
17	5/2+	-0.809	0.038% 3		37		-7.000s		
18	0+	-0.782	0.20% 1		38	0+	-5.360s		
19	5/2+	3.332	26.91 s 8	β^-	15 P 25		22.080s		
20	0+	3.796	13.57 s 10	β^-	26		11.260s	≈ 20 ms	c, cp, $\epsilon 2p$
21	(5/2+)	8.066	3.42 s 10	β^-	27	1/2+	-0.715e	0.26 s 8	c, cp
22	0+	9.440	2.25 s 15	β^-	28	3+	-7.161	270.3 ms 5	c
23		14.540s	82 ms 37	$\beta^-, \beta-n$ 31%	29	1/2+	-16.951	4.140 s 14	c
24	0+	18.790s	61 ms 26	$\beta^-, \beta-n$ 58%	30	1+	-20.207e	2.498 m 4	c
9 F 14		33.610s			31	1/2+	-24.441	100%	
15	(1/2+)	16.770	1.0 MeV 2	p	32	1+	-24.305	14.262 d 14	β^-
16	0-	10.680	40 keV 20	p	33	1/2+	-26.338	25.34 d 12	β^-
17	5/2+	1.951	64.49 s 16	c	34	1+	-24.557	12.43 s 8	β^-
18	1+	0.873	109.77 m 5	c	35	1/2+	-24.857	47.3 s 7	β^-
19	1/2+	-1.487	100%		36		-20.251	5.6 s 3	β^-
20	2+	-0.017	11.00 s 2	β^-	37		-18.930e	2.31 s 13	β^-
21	5/2+	-0.047	4.158 s 20	β^-	38		-13.430e	0.64 s 14	β^-
22	(3, 4)+	2.789e	4.23 s 4	β^-	39		-12.500s	≈ 160 ms	$\beta^-, \beta-n$ 41%
23	(3/2, 5/2)+	3.350	2.23 s 14	β^-	40		-7.020s	0.26 s 8	$\beta^-, \beta-n$ 30%
24		7.640e	340 ms 80	β^-	41			0.12 s 2	$\beta^-, \beta-n$ 30%
25		11.330e			42			0.11 s 3	$\beta^-, \beta-n$ 50%
26		18.460e			3 S 27		18.220s		
27		25.600e			28	0+	4.198e	125 ms 10	c, cp
10 Ne 16	0+	23.989	122 keV 37	2p	29	5/2+	-3.115e	0.187 s 4	c, cp 47%
17	1/2-	18.480	109.0 ms 10	c, cp	30	0+	-14.063	1.178 s 5	c
18	0+	5.319	1.672 s 8	c	31	1/2+	-19.045	2.572 s 13	c
19	1/2+	1.751	17.22 s 2	c	32	0+	-26.016	95.02% 9	
20	0+	-7.047	90.48% 3		33	3/2+	-26.586	0.75% 1	
21	3/2+	-5.737	0.27% 1		34	0+	-29.932	4.21% 8	
22	0+	-8.027	9.25% 3		35	3/2+	-28.846	87.51 d 12	β^-
23	5/2+	-5.156	37.24 s 12	β^-	36	0+	-30.664	0.02% 1	
24	0+	-5.950	3.38 m 2	β^-					

Instability

A nucleus X_0 can decay into $X_1 + X_2 + \dots + X_n$ if $\sum_{i=1}^n m_i < M_0$

Kinetic energy released $Q = M_0 c^2 - \sum M_i c^2$

$$= (A_0 u + \Delta(x_0)) - \sum (A_i u + \Delta(x_i))$$

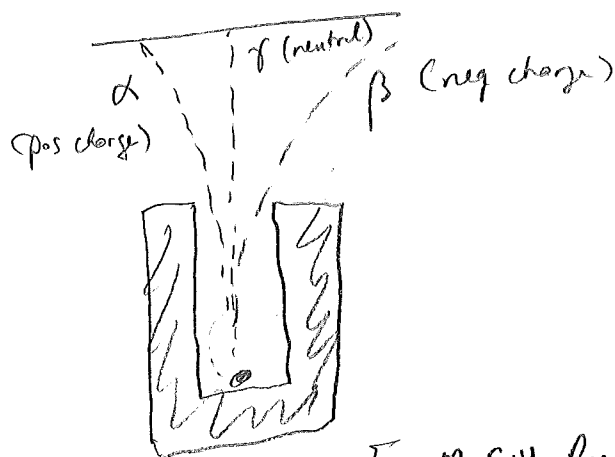
Baryon # cons $\Rightarrow A_0 = \sum A_i$

$$\Rightarrow Q = \Delta(x_0) - \sum \Delta(x_i)$$

Radioactivity

1896 Becquerel: [U blacks photographic plates
must be emitting particles

Rutherford: [cloud chamber
particles bend in magnetic fields
different types of radioactivity: α, β, γ



[in McGill, Rutherford suspected $\alpha = {}^4\text{He}$]

[in Manchester, proved it w/ Rutherford in 1909]

$\alpha = {}^4\text{He}$ nuclei

$$Q = \Delta(X_0) - \Delta(X_i) - \Delta({}^4\text{He})$$

[possible because $\Delta({}^4\text{He}) = 2.425 \text{ MeV}$, rather low]

Curie [also discovered α -decay of radium + polonium]

[${}^4\text{He}$ found in natural gas due to decay of radioactive elements]
underground

α -decay usually involves heavy nuclei [top of chart of nuclides]

Since α particle energies were $\sim 5 \text{ MeV}$
 could use them to probe atomic structure
 $\rightarrow$ first particle accelerators

1909 Rutherford, Marsden, Geiger: $\alpha + \text{Au}$
 expected slight scattering by e^- 's in plum pudding
 instead found a massive nucleus

1919 Rutherford was able to use α 's to transmute elements
 γ small z (could overcome Coulomb barrier of nucleus)



1930 Walter Bothe & H. Becker



thought by them (& by F. Joliot and I. Curie) to be γ

1932 Owen Chadwick disc. neutron

Fermi subsequently used n to probe nuclei (no Coulomb barrier)

β -decay β^- = electrons

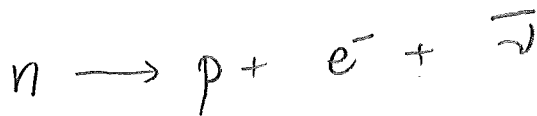
[bent in opp. direction in mag field

same $\frac{e}{m}$ as cathode rays

cathode rays = atomic electrons

 β^- from nucleus]

[simplest example] [did this before]



$$Q = m_n c^2 - m_p c^2 - m_e c^2$$

$$= 939.6 - 938.3 - 0.5 = 0.8 \text{ MeV} > 0$$

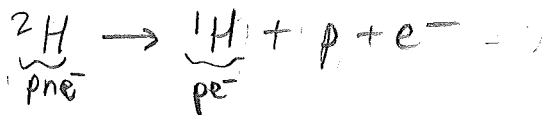
so neutron unstable

[Alternatively]

$$Q = \Delta(n) - \Delta(^1\text{H})$$

[$\Delta(^1\text{H})$ includes the electron mass] recall

$$-[8.071 - 7.289 = 0.782]$$

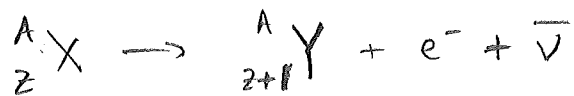
A neutron inside a nucleus can be stable

$$Q = \Delta({}^2\text{H}) - \Delta({}^1\text{H}) - \Delta({}^1\text{H}) = -1.4 \text{ MeV} < 0$$

deuteron stable

$$\left[\begin{array}{r} 13.130 \\ -2(7.289) \\ \hline -1.442 \end{array} \right]$$

Sometimes neutron inside a nucleus can decay



$$Q = [M_{\text{nuc}}(X) - M_{\text{nuc}}(Y) - m_e] c^2$$

$$= [A u + \underset{\substack{\uparrow \\ \text{neutral at}}}{\Delta(X)} - Z m_e c^2] - [A u + \Delta(Y) - (Z+1) m_e c^2] - m_e c^2$$

$$= \Delta(X) - \Delta(Y)$$

If $Q > 0$, nucleus is unstable

"neutron-rich" nuclei usually under β^- -decay

~~β^- decay~~
 ~~$n \rightarrow p e^- \bar{\nu}$~~

~~${}^A_Z X \rightarrow {}^A_{Z+1} Y e^- \bar{\nu}$~~ possible

~~$Q = \Delta(X) - \Delta(Y) > 0$~~

β^+ decay of proton rich nuclei
 $[n + {}^{238}_{92}\text{U} \rightarrow {}^{239}_{93}\text{U} \xrightarrow{(23\text{min})} e^- \bar{\nu} {}^{239}_{93}\text{Np} \xrightarrow{(2\text{days})} e^- \bar{\nu} {}^{239}_{94}\text{Pu} \rightarrow \text{fission}]$
 breeder reactor

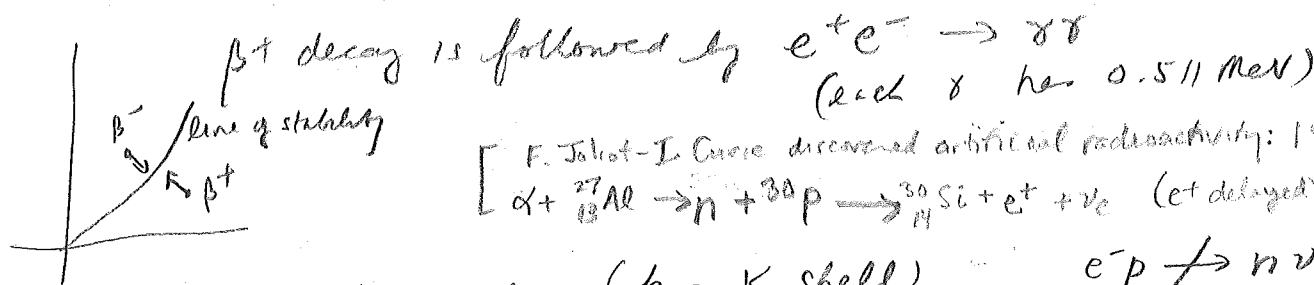
Normally $p \rightarrow n e^+ \nu$
 but

${}^A_Z X \rightarrow {}^A_{Z-1} Y e^+ \nu$ is possible if $Q > 0$

where $Q = (M_{\text{nuc}}(X) - M_{\text{nuc}}(Y) - m_{e^+} - m_{\nu}^0) c^2$

$= [A u + \Delta(X) - Z m_e c^2] - [A u + \Delta(Y) - (Z-1) m_e c^2] - m_e c^2$

$= \Delta(X) - \Delta(Y) - 2 m_e c^2$



[F. Joliot-Curie discovered artificial radioactivity: 1934]
 $\alpha + {}^{27}_{13}\text{Al} \rightarrow n + {}^{30}_{14}\text{Si} \rightarrow e^+ + \nu_e$ (e⁺ delayed)

Electron capture (from K shell) $e^- p \rightarrow n \nu$ but

$e^- {}^A_Z X \rightarrow {}^A_{Z-1} Y \nu$ possible if $Q > 0$

where $Q = m_{\text{nuc}}(X) + m_e - m_{\text{nuc}}(Y)$

$= [A u + \Delta(X) - Z m_e c^2] + m_e c^2 - [A u + \Delta(Y) - (Z-1) m_e c^2]$

$= \Delta(X) - \Delta(Y)$

• EC is followed by emission of X-ray photon as outer shell electron falls into vacancy

4 radioactive series

$A = 4n + 2$	^{238}U	$(4.5 \times 10^9 \text{ yrs})$	$\rightarrow$	^{206}Pb
$4n + 3$	^{235}U	$(7.1 \times 10^8 \text{ yrs})$	$\rightarrow$	^{207}Pb
$4n$	^{232}Th	$(1.4 \times 10^{10} \text{ yrs})$	$\rightarrow$	^{208}Pb
$4n + 1$	^{233}U	$(1.6 \times 10^7 \text{ yrs})$	$\rightarrow$	^{209}Bi

hyper physics. phy-a str.
gsu.edu/hbase/
nuclear

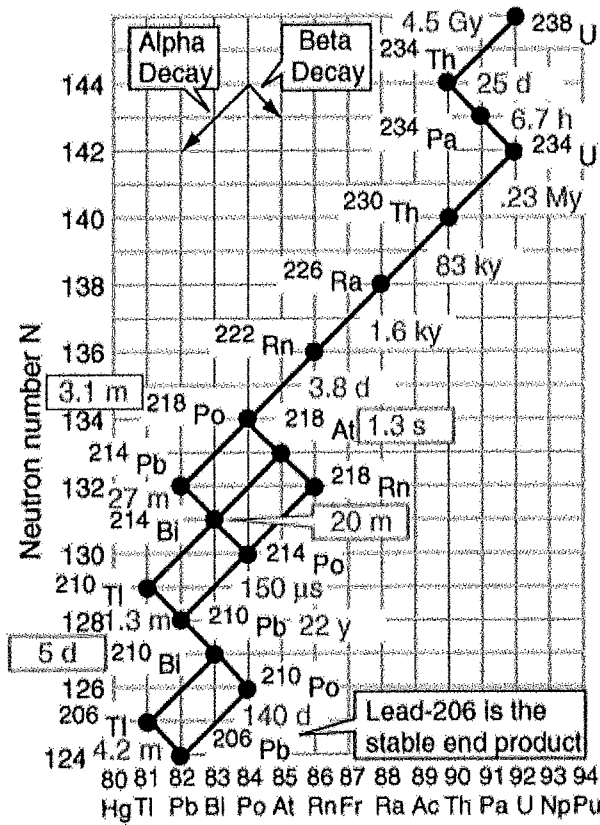
(georgia state u.)

The Uranium-238 Decay Series

- ☐ ^{235}U Series
- ☐ ^{232}Th Series
- ☒ ^{238}U Series
- ☐ ^{237}Np Series

The four natural radioactive series

Boxed values for half-life are for multiple decay paths



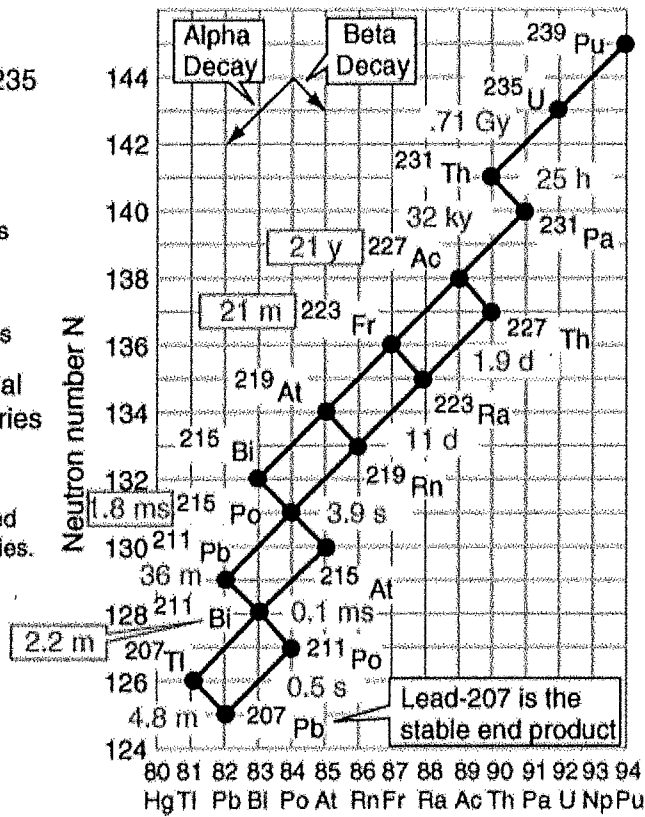
The Uranium-235 Decay Series

- ☒ ²³⁵U Series
- ☐ ²³²Th Series
- ☐ ²³⁸U Series
- ☐ ²³⁷Np Series

The four natural radioactive series

This series is traditionally called the Actinium series.

Boxed values for half-life are for multiple decay paths

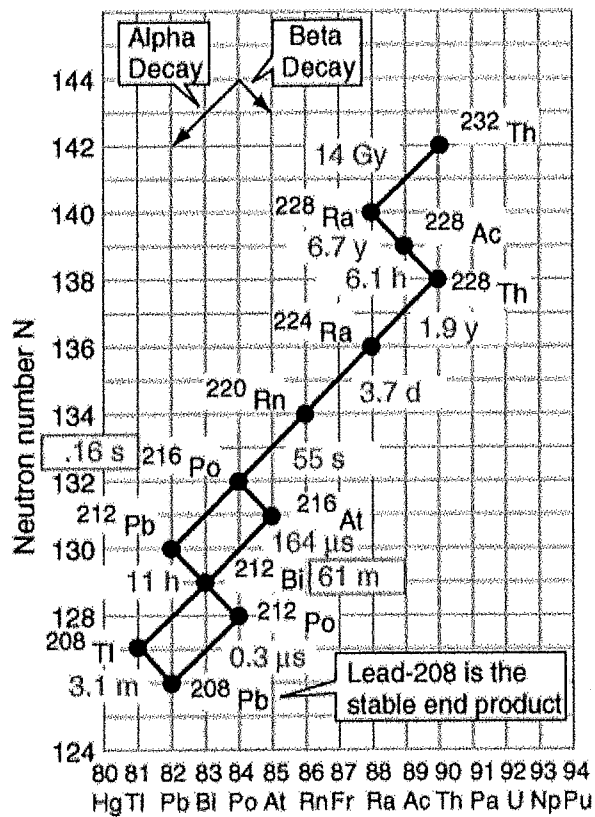


The Thorium-232 Decay Series

- ☐ ^{235}U Series
- ☒ ^{232}Th Series
- ☐ ^{238}U Series
- ☐ ^{237}Np Series

The four natural radioactive series

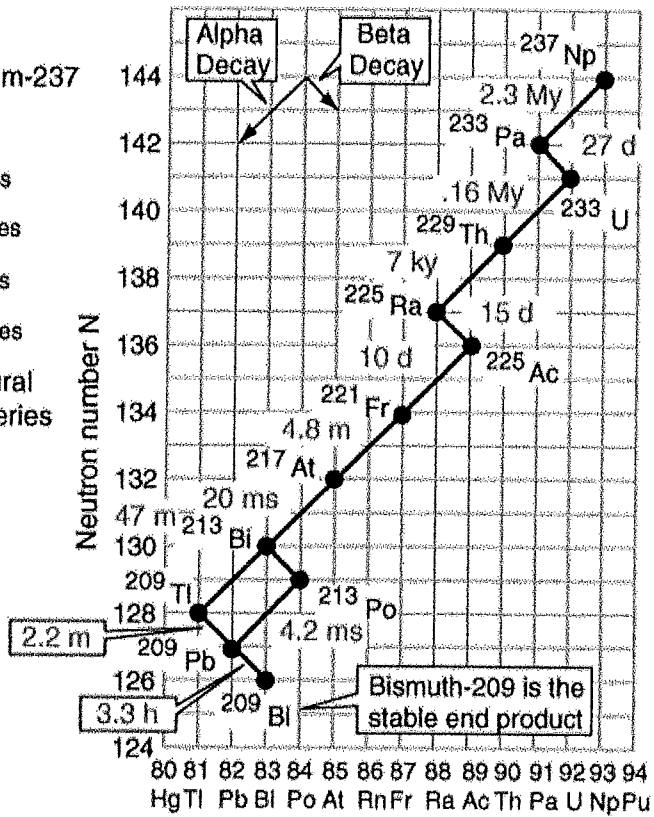
Boxed values for half-life are for multiple decay paths



The Neptunium-237 Decay Series

- ☐ ^{235}U Series
- ☐ ^{232}Th Series
- ☐ ^{238}U Series
- ☒ ^{237}Np Series

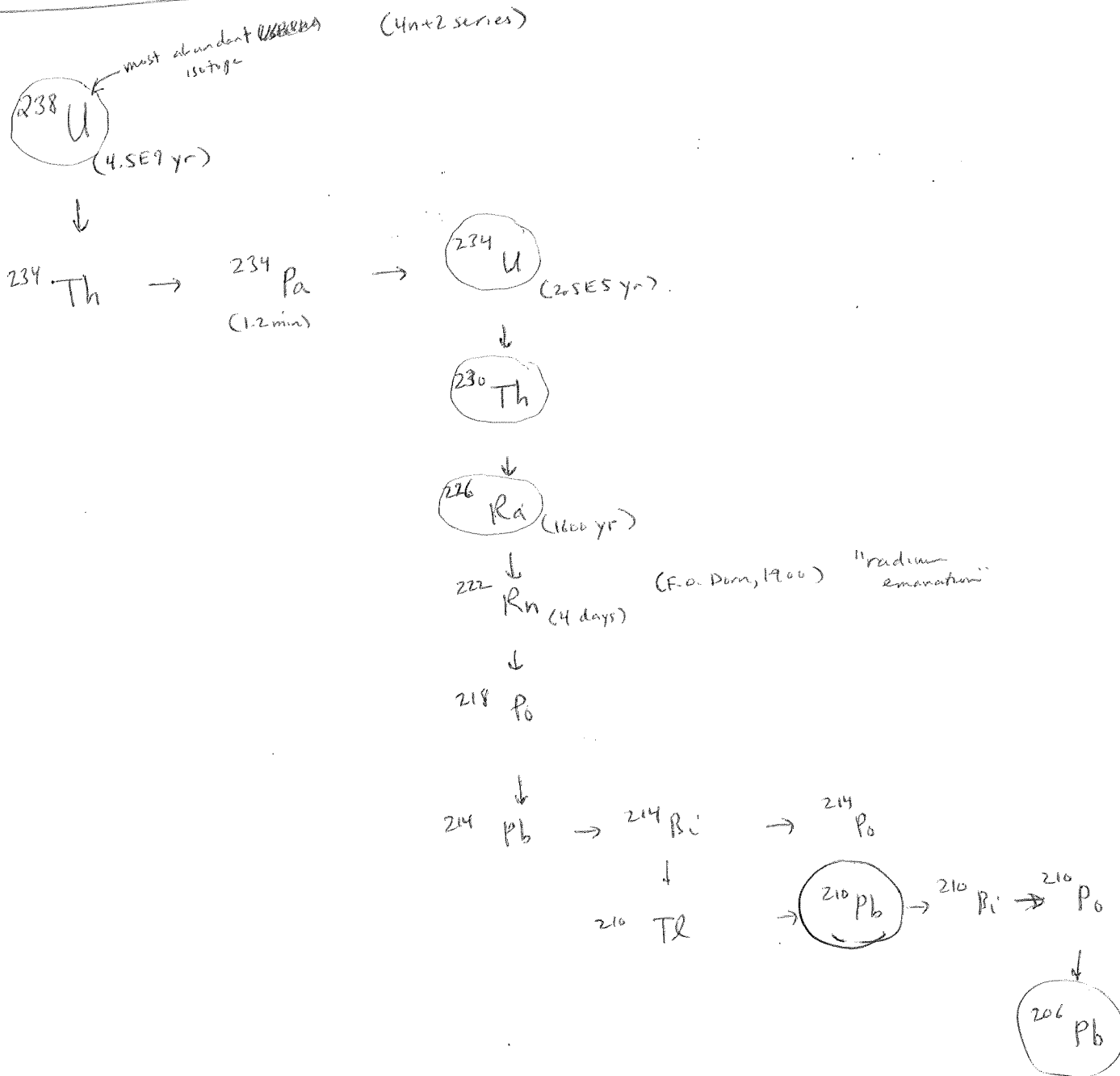
The four natural radioactive series



Radioactive transformations

URANIUM - RADIUM SERIES:

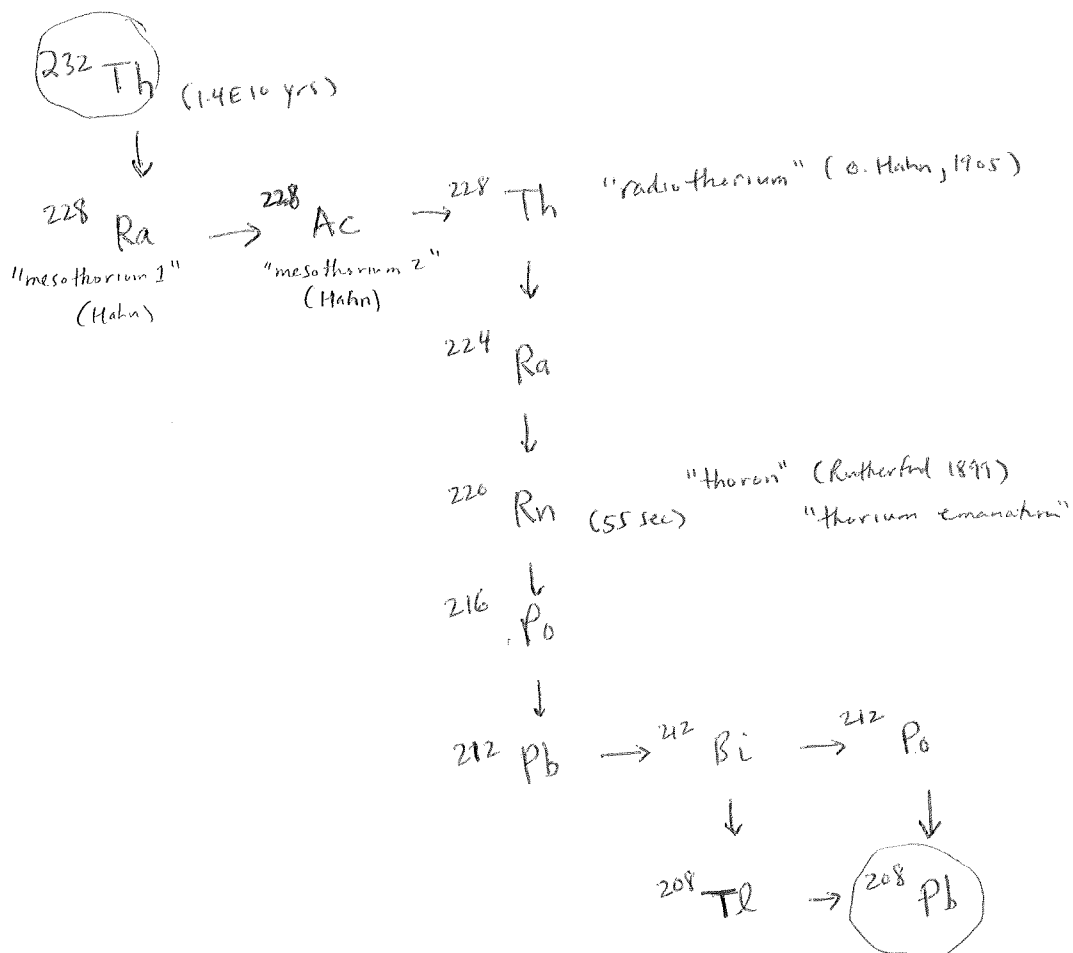
Circled = longer-lived



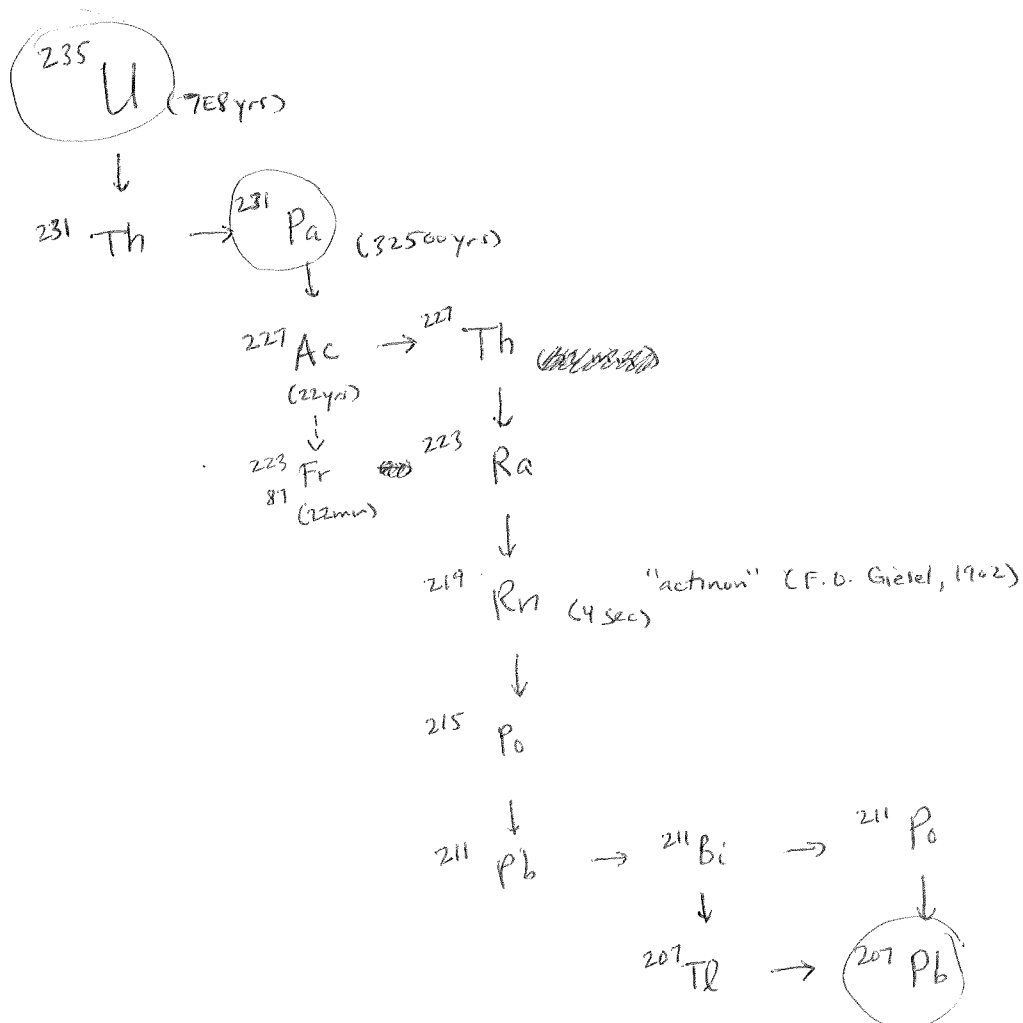
Pb	Bi	Po	At	Rn	Fr	Ra	Ac	Th	Pa	U	Np	Pu
(207)	(209)	(210)	(210)	(222)	(223)	(226)	(227)	(232)	(231)	(238)	(237)	(242)

↑
most stable isotope

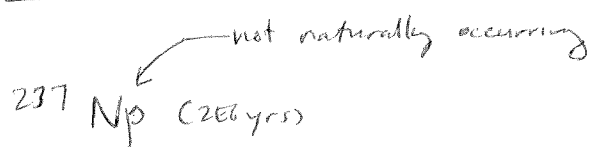
Thorium series ($4n$ series)

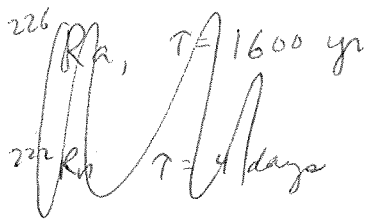


1. Actinium series ($4n+3$ series)

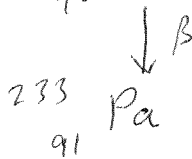


$4n+1$ series





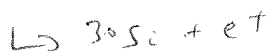
curve: activity
 of 1 g of ^{226}Ra
 (3.7×10^{10} disintegrations/sec)



produced neutrons
 fission

(Thorium cycle)

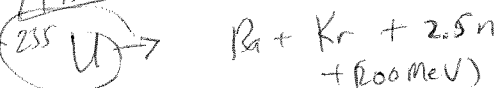
(Neutron Sources)



(Chadwick)

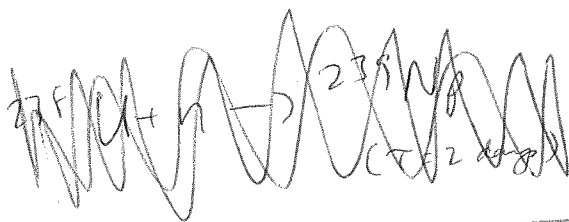
(Joliot-Curie)

Fissionable



α from α decay
 typically 5 MeV

eg Bi 214



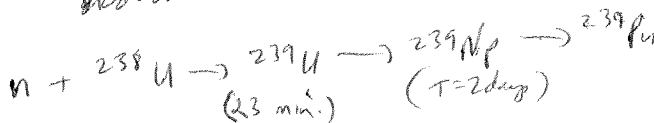
(Np, Pu produced in 1940)

^{244}Pu ($T = 8 \times 10^7 \text{ yrs}$) most stable

^{238}Pu ($T = 85 \text{ yrs}$) produced H^2 in 1940

^{239}Pu ($T = 25000 \text{ yrs}$)

used in power
naval equipment



basis of their atomic weight; to-day we arrange them according to their "atomic number", as we shall see below.

At the end of the periodic system stand the radioactive elements; these too can be arranged according to their chemical behaviour. The method, first applied by the Curies, for separating them and determining their chemical properties, consists in bringing the radioactive substance with other bodies into solution, and applying various precipitating agents. It is then tested whether the activity, recognizable by the radiating power, is in the precipitate or in the residual solution, or is divided between the two. Each portion is treated in a similar way, until one part of the products is free from radiation, and the other part shows an exponential decay with characteristic half-value period (§ 4, p. 31). Radium itself was isolated thus by the Curies (1898), starting from the mineral pitchblende; barium was left along with the radium to begin with, and could not be separated from it until the end. Radium therefore belongs to the group of alkaline earth metals, and so must be placed in the periodic table in the column under calcium and barium; radon Rn (or Ra emanation), on the other hand, behaves like a noble gas and so ranges under He, Ne, &c. The short-lived succeeding disintegration product RaA ($T = 3$ min.) is found to be chemically analogous to tellurium; the next, RaB ($T = 27$ min.), goes with lead, and so on.

From these and similar results the following important law of radioactive transformation has been deduced: emission of an α -particle (loss of charge $+2e$) shifts the residual atom two places to the left in the periodic table, i.e. in the direction towards lower H-valencies; thus radium on giving up an α -particle is transformed into radon (Ra emanation). On the other hand, escape of a β -particle (loss of charge $-e$) displaces the atom one place to the right (Russel, Soddy, Fajans, 1913). If we go through the three radioactive series according to this rule (fig. 13), we find that many places in the table are multiply occupied. To cite a particularly conspicuous example: into the place in the periodic table occupied by ordinary lead, there also come, according to the law of radioactive change, the end-products of the three radioactive series, viz. RaG, AcD and ThD, all three of which have undoubtedly the character of lead. Besides these, RaD, AcB, ThB and RaB also fall into the place mentioned. All these elements, in spite of their like chemical behaviour, have different masses, because in an α -emission the atom gives up the mass 4 of helium, while in a β -disintegration, on account of the small mass of the electron, the mass of the atom remains practically unchanged. The three elements of the radium

series mentioned above, RaB, RaD and RaG, must therefore have masses decreasing successively by 4.

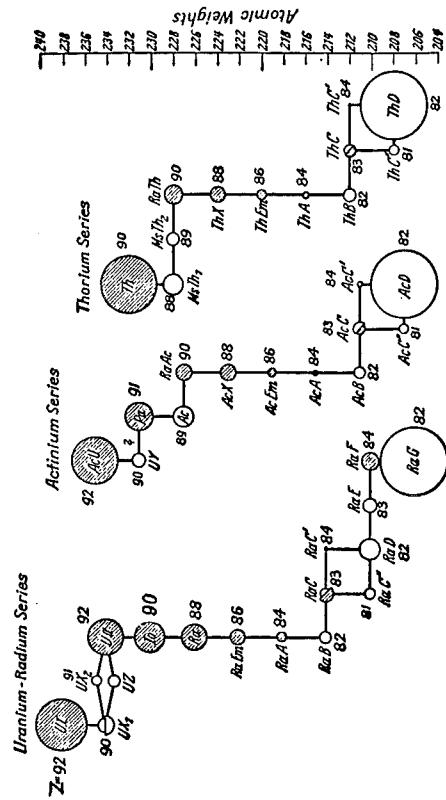


Fig. 13.—The radioactive transformation series. The changes indicated by vertical lines correspond to α -emission, by horizontal lines to β -emission; in the former the atomic weight falls by 4, the atomic number by 2; in the latter the atomic weight remains approximately constant, and the atomic number increases by 1. Shaded circles indicate α -rays, circles without shading, β -rays. The size of each circle corresponds to the half-value period.

It may also happen, we may add (e.g. in every β -disintegration), that two chemically different elements have the same atomic weight; these are called *isobars*.

After the existence of isotopes had been demonstrated in this way for radioactive substances, J. J. Thomson (1913), by deflection experiments on canal rays, succeeded in proving that isotopes occur even among ordinary elements, for instance neon. Ordinary chlorine, whose atomic weight is given by chemists as 35.5, consists of one kind of chlorine of weight 35.0, and another of weight 37.0. Thomson's investigations reached their highest development in the mass-spectrograph constructed by Aston (1919), which we have already mentioned (§ 2, p. 29), and which at present is the most exact method for determining atomic weights (Aston, Dempster (1918), Bainbridge).

By magnetic separation of canal rays of lithium, it has even been found possible (Oliphant, Shire and Crowther, 1934) to obtain visibly separated deposits of the two lithium isotopes (6 and 7). This method is now used for the separation of the two uranium isotopes (235 and 238) on a large scale (see § 9, p. 195).

Partial separation of isotopes can be obtained by any physical

process the rate of which depends directly or indirectly on the mass of the particles: ordinary diffusion and thermal diffusion (Appendix II, p. 277), diffusion assisted by centrifugation, chemical action, fractional distillation, evaporation, ionic migration and electrolysis (Chap. III, § 5, p. 65), photo-chemical action. As an example may be mentioned the partial separation of neon isotopes by Hertz (1933). By means of a suitably devised circulation process, he caused the mixture of isotopes to diffuse several times through a system of clay cylinders. Since the lighter components of the mixture diffuse more rapidly than the heavier, we obtain in this way, as the final products of the circulation process, two mixtures, one of which is richer in the lighter components, the other in the heavier. This method has also been applied successfully for the separation of the heavy isotope of hydrogen (see § 5, p. 65) and for the separation of the uranium isotopes (§ 9, p. 195).

The method of thermal diffusion was successfully applied by Clusius and Dickel (1938) to the cases of neon and chlorine (in the form HCl). With the help of a chemical reaction between HCN gas and a solution of NaCN in water Hutchinson, Stewart and Urey (1940) were able to increase the fraction of the isotope ^{13}C by a considerable amount.

The result of the detailed investigations on the occurrence of isotopes may be stated in the following form. Every element (in the chemical sense) has either a whole number for its atomic weight, or consists of a mixture of different kinds of atoms whose atomic weights are whole numbers. For practical reasons atomic weights have all along been referred, not to hydrogen equal to 1, but to oxygen equal to 16. This has proved fortunate as an aid to clearness, for the integral character of the isotopic weights stands out much more obviously than with the choice of $\text{H} = 1$. Hydrogen indeed, for $\text{O} = 16$, gets a value ($\text{H} = 1.0081$) differing decidedly from 1, but the atomic weights of all other pure isotopes approximate closely to whole numbers.

To understand how this comes about, we must anticipate so far as to note that the masses of atoms are almost entirely concentrated in the *atomic nuclei*. Every atom consists of a nucleus, which is surrounded by a cloud of electrons (§ 3, p. 57). This nucleus is the essential part of the atom. The result of Aston's investigations must be referred to the nucleus: every nucleus consists of a whole number of hydrogen nuclei or *protons*; its mass (except for trifling divergencies) is an integral multiple of the mass of the proton.

These divergencies, which in spite of their slowness are of the highest importance, will be discussed later (§ 4, p. 67).

TABLE II.—TABLE OF ISOTOPIES

The isotopes are arranged in each case where known in the order of frequency of occurrence; the radioactive isotopes are indicated by an asterisk. Radioactive isotopes produced artificially are not included.

Element	Z	Isotopes	Element	Z	Isotopes
H	1	1, 2, 3	Sb	51	121, 123
He	2	4, 3	Te	52	130, 128, 126, 125, 124, 122, 123, 127?
Li	3	7, 6	I	53	127
Be	4	9	Xe	54	132, 129, 131, 134, 136, 130, 128, 124, 126
B	5	11, 10	Cs	55	133
C	6	12, 13	Ba	56	138, 137, 136, 135, 134, 130, 132
N	7	14, 15	La	57	139
O	8	16, 18, 17	Ce	58	140, 142, 138, 136
F	9	19	Pr	59	141
Ne	10	20, 22, 21	Nd	60	142, 144, 146, 143, 145, 148, 150
Na	11	23	Sm	62	152, 154, 147, 149, 148, 150, 144
Mg	12	24, 25, 26	Eu	63	153, 151
Al	13	27	Gd	64	156, 158, 155, 157, 160, 164, 162
Si	14	28, 29, 30	Tb	65	159
P	15	31	Dy	66	164, 162, 163, 161, 160, 168
S	16	32, 34, 33	Ho	67	165
Cl	17	35, 37	Er	68	166, 168, 167, 170, 164, 162
A	18	40, 36, 38	Tm	69	169
K	19	39, 41, 40*	Yb	70	174, 172, 173, 176, 171, 170, 168
Ca	20	40, 44, 42, 43, 46	Lu	71	175, 176
Sc	21	45	Hf	72	180, 178, 177, 179, 176, 174
Ti	22	48, 46, 47, 49, 50	Ta	73	181
V	23	51	W	74	184, 186, 182, 183, 180
Cr	24	52, 53, 50, 54	Re	75	187, 185
Mn	25	55	Os	76	192, 190, 189, 188, 187, 186, 184
Fe	26	56, 54, 57, 58	Ir	77	193, 191
Co	27	59, 57	Pt	78	195, 194, 196, 198, 192
Ni	28	58, 60, 62, 61, 64	Au	79	197
Cu	29	63, 65	Hg	80	202, 200, 199, 201, 198, 204, 196
Zn	30	64, 66, 68, 67, 70	Tl	81	205, 203, 207*, 208*, 210*
Ga	31	69, 71	Pb	82	208, 206, 207, 204, 203?, 205?, 209?, 210*, 211*, 212*, 214*
Ge	32	72, 70, 73, 76	Bi	83	209, 210*, 211*, 212*, 214*
As	33	75	Po	84	210*, 211*, 212*, 214*, 216*, 218*
Se	34	80, 78, 76, 82, 77, 74	Rn	86	222*, 219*, 220*
Br	35	79, 81	Ra	88	226*, 223*, 224*, 228*
Kr	36	84, 86, 82, 83, 80, 78	Ac	89	227*, 228*, 229*, 230*
Rb	37	85, 87*	Th	90	232*, 230*, 228*, 234*
Sr	38	88, 86, 87, 84	Pa	91	231*, 233*, 234*
Y	39	89	U	92	238*, 235*, 234*
Zr	40	90, 92, 94, 91, 96			
Cb	41	93			
Mo	42	98, 96, 95, 92, 94, 97, 100			
Ru	44	102, 101, 104, 100, 99, 96, 98?			
Rh	45	103, 101			
Pd	46	106, 108, 105, 110, 104, 102			
Ag	47	107, 109			
Cd	48	114, 112, 111, 110, 113, 116, 106, 108			
In	49	115, 113			
Sn	50	120, 118, 116, 119, 117, 124, 122, 112, 114, 115			