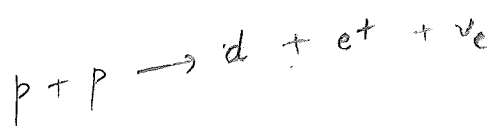


Fusion

(08)-FU-1

universe initially all hydrogen

Need neutrons to form heavier elements



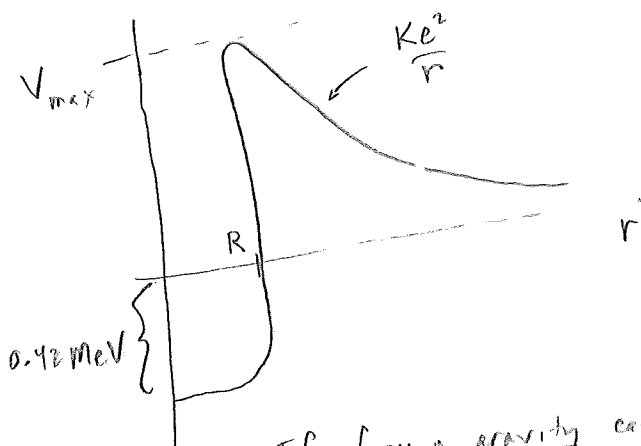
$$Q = 2 [1u + \Delta(^1H) - m_e] - [2u + \Delta(^2H) - m_e] - m_e$$

$$= 2\Delta(^1H) - \Delta(^2H) - 2m_e$$

$$= 0.420 \text{ MeV}$$

$$\Rightarrow E_\nu(\text{max}) = 0.42 \text{ MeV}$$

Reaction is allowed but Coulomb barrier

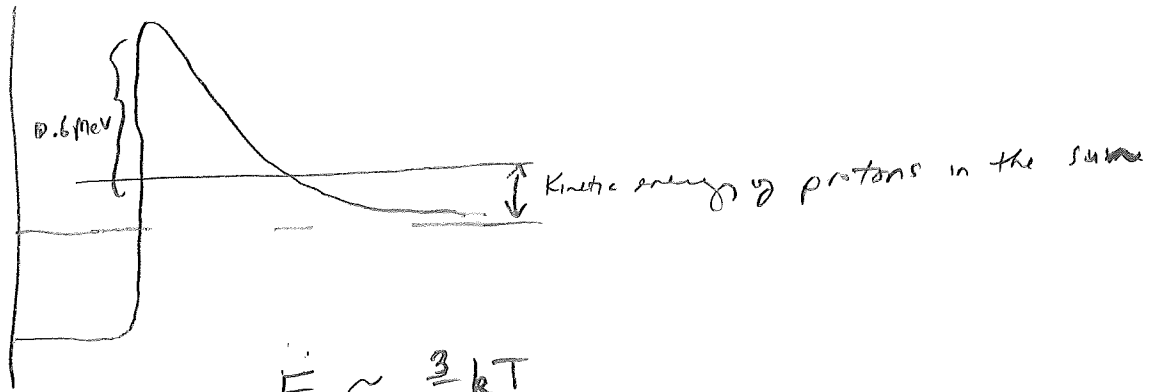


$$R \sim 2r_0 \sim 2.4 \text{ fm}$$

$$V_{\text{max}} = \frac{K e^2}{R} = \frac{1.44 \text{ MeV fm}}{2.4 \text{ fm}} = 0.6 \text{ MeV}$$

If force of gravity can compress balls of hydrogen to high enough temps to allow protons to get close enough (despite EM repulsion) the weak force allows $p \rightarrow n + e^+ + \nu_e$ at which point the strong force binds $p + n$ into d , releasing energy

[delicate interplay of all 4 forces allows us to exist]



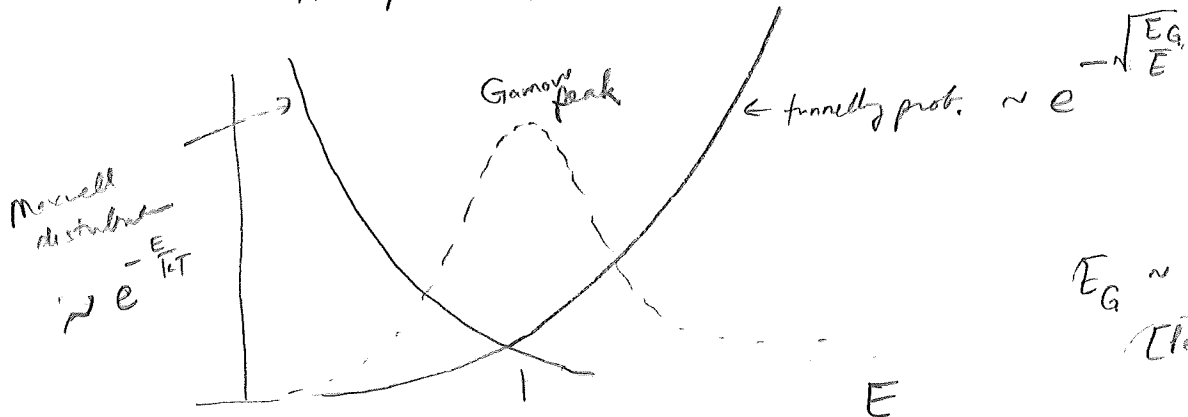
$$E \sim \frac{3}{2} kT$$

$$T \sim 15.8 \text{ million K} \Rightarrow \frac{3}{2} \left(\frac{1.5 \times 10^{-23}}{3 \times 10^{-23}} \right) \frac{1}{40} = 2 \text{ keV}$$

(would need
 $T \sim 5 \times 10^9 \text{ K}$
 to overcome
 barrier)

but protons have a Maxwellian distribution (tail)

Also protons can tunnel through barrier



$$E_G \sim 0.49 \text{ MeV}$$

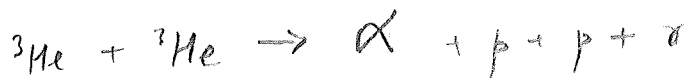
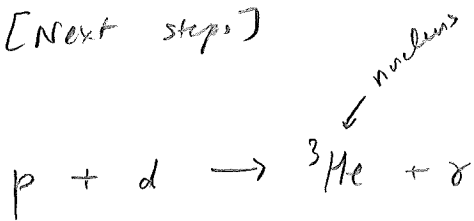
[Fleishman, p. 1927]
Pd Astro

$\sim 6 \text{ keV}$

Even if proton tunnels through barrier
 prob. it will enter 1 wall ... 15 10⁻²⁰
 usually elastic scattering (via strong force)
 & PP occurs

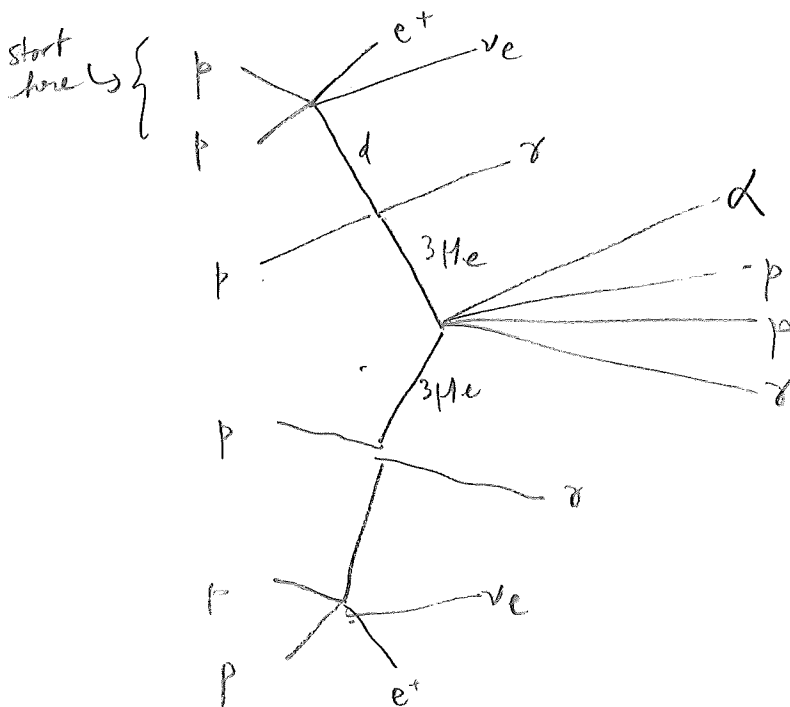
[Next steps]

FA-3



[85%
Corroll & As the say 69%
p. 345]

Altzyde



[The add in two places:]



- How much energy does this release? [HW]
- Some goes into ν , which escape [HW]
- The rest heats the sun & is eventually radiated away about 26.2 MeV per helium nucleus formed or 6.5 MeV per proton consumed.
(more efficient than fission on a mass basis
→ ~ 0.7 MeV per nucleus)

