

# Class work: Range-trees

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1. Show the BBST with points in the leaves for  $P = \{1, 2, 3, 4, 5, 6, 7, 8, 9, 10\}$ .

2. Sketch pseudo-code for building a BBST(P).

```
//P is a set of points
//returns BBST(P) with points in the leaves
buildBBST(P)
```

3. Analyze the algorithm above and fill in the following result.

**Theorem:** Given a set of elements  $P$ , a balanced binary search tree for  $P$  with data in the leaves can be built in  $O(\quad)$  time.

4. What if  $P$  is sorted? Fill in the following result:

**Theorem:** Given a set of elements  $P$  *which are sorted*, a balanced binary search tree for  $P$  with data in the leaves can be built in  $O(\quad)$  time.

5. **2d range tree:** Consider the following set of points in the plane:

$$P = \{(1, 4), (5, 8), (4, 1), (7, 3), (3, 2), (2, 6), (8, 7)\}$$

Show the range tree of  $P$ .

6. **3d range tree:** Draw the 3d-range tree for the set of points below.

Show the 3D-range tree for the the set of points below:

